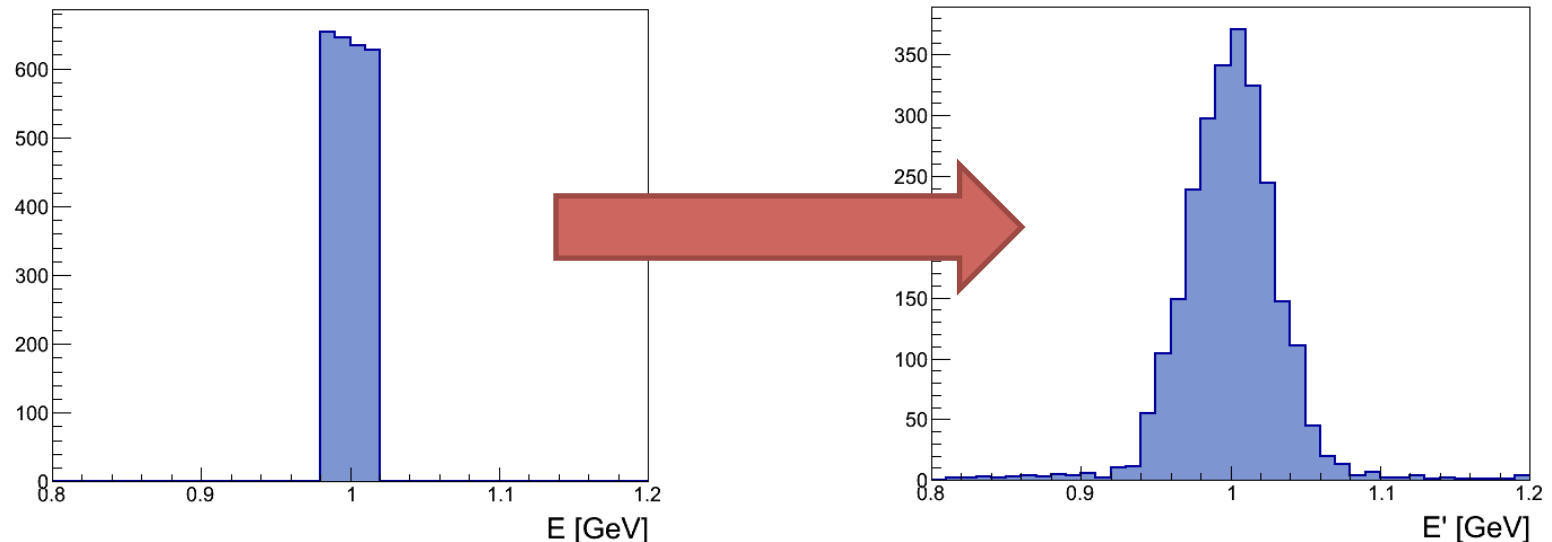


Update on the EIC Fast Simulator

William Foreman
EIC Group @ BNL
June 22, 2012

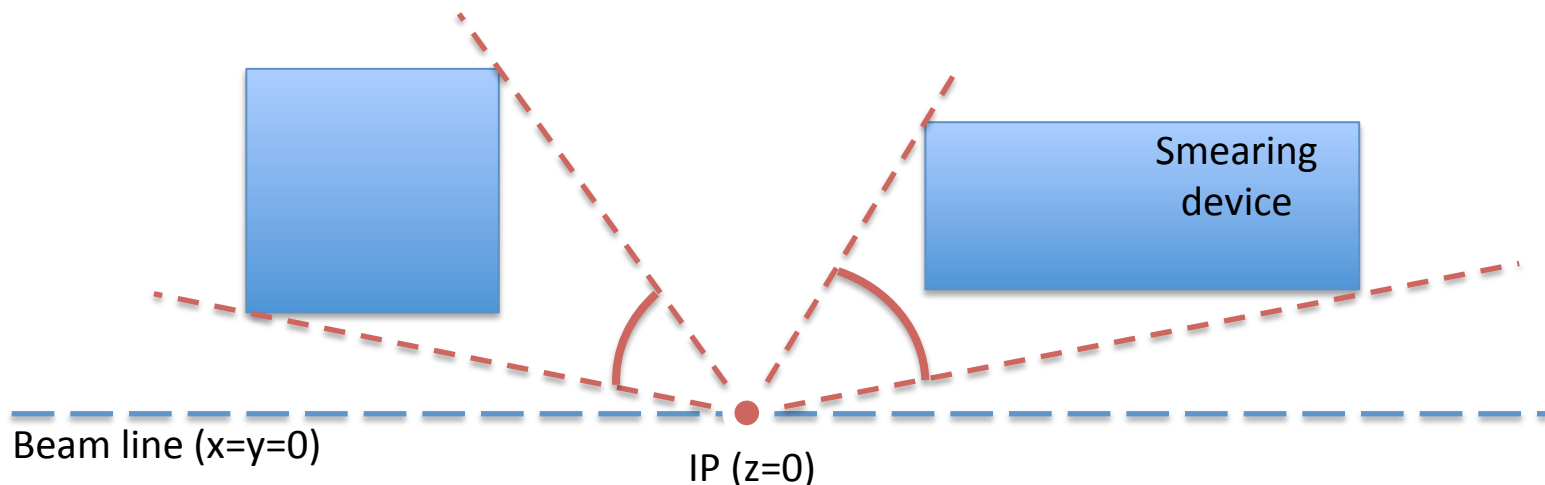
What is it?

- A way to apply approximate detector-level effects to simulated data
 - Kinematics (p_T , E , Θ , ϕ) of final-state particles “smeared” according to Gaussian with width given by a parametrized resolution
 - Considerably faster and more flexible than a full GEANT detector simulation (good as first-order approximation)



How it works

- Logical volumes (“devices”) are created based on possible detector geometries
- Acceptance conditions and smearing rules for each device are set
 - Cuts on particle type, angle, momentum...
 - If a final state particle meets conditions, relevant kinematics are smeared (E for calorimeters, p for tracking, etc..)



Electromagnetic Calorimeters

- Smears energy of electrons and photons (e, γ)
 - Central region ($-1 < \eta < 1$) based on joint proposal from PHENIX/STAR/eRHIC (BNL):

$$\frac{\sigma}{E} = \frac{0.122}{\sqrt{E}}$$

- Forward/backward ($1 < |\eta| < 5$) we assume a lead tungstate crystal calorimeter with resolution similar to anticipated PANDA (GSI):

$$\frac{\sigma}{E} = \frac{0.0178}{\sqrt{E}} + 0.0069$$

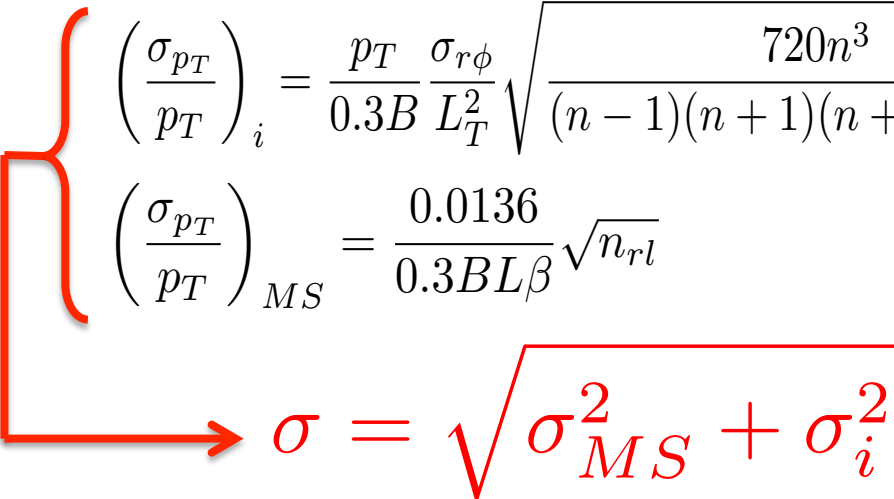
Hadronic Calorimeter

- Smears energy of hadrons (π^\pm, K^\pm, p, \dots)
 - For now we assume HERA response:

$$\frac{\sigma}{E} = \frac{0.35}{\sqrt{E}}$$

Tracking

- Smears momentum measured from curvature of charged particles in magnetic field
- Contributions from **intrinsic finite resolution (σ_i)** and **multiple scattering (σ_{MS})**

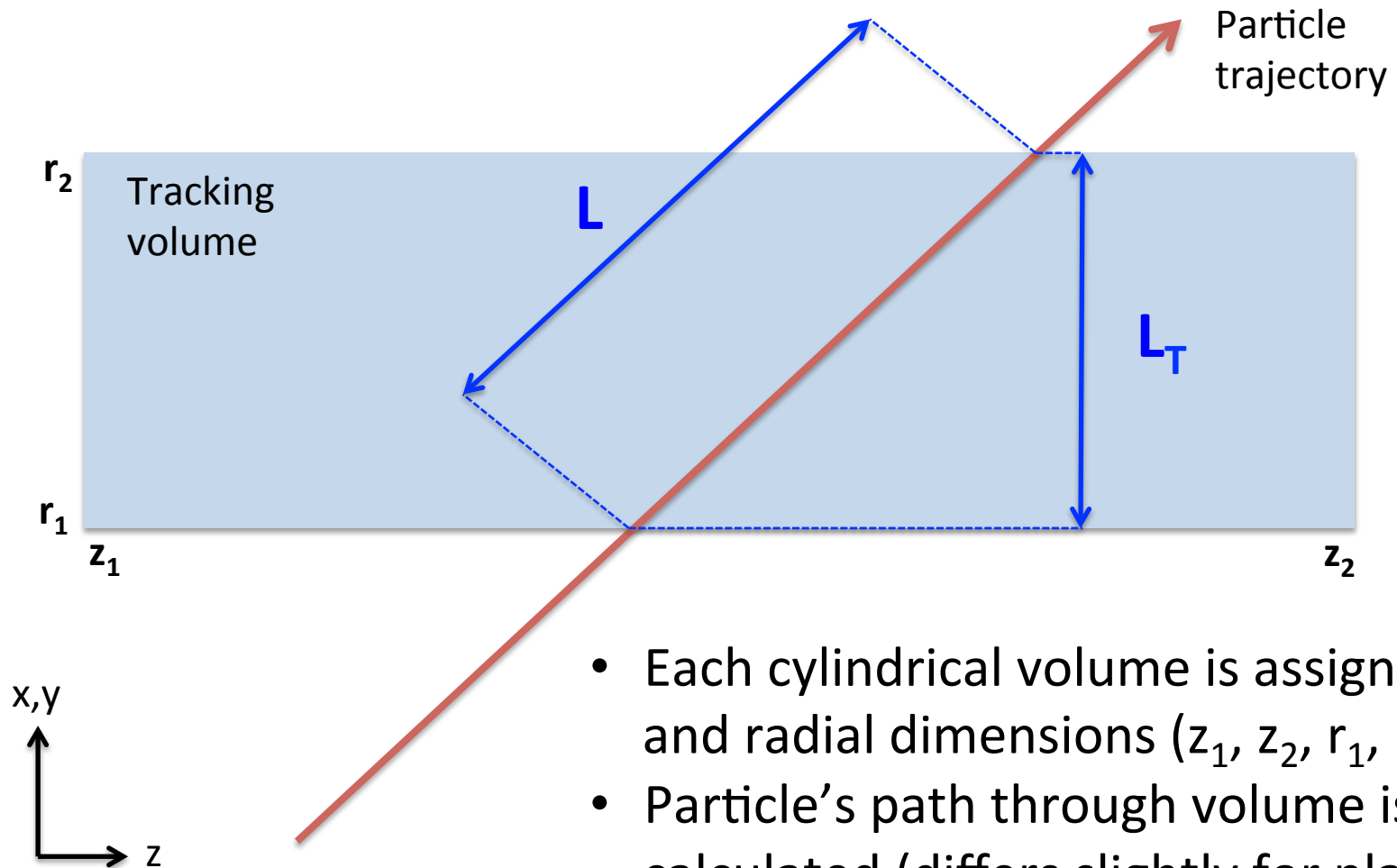


The diagram illustrates the combination of two sources of momentum smearing. A red bracket on the left groups the two equations for $\left(\frac{\sigma_{p_T}}{p_T}\right)_i$ and $\left(\frac{\sigma_{p_T}}{p_T}\right)_{MS}$. A red arrow points from this bracket to the final equation $\sigma = \sqrt{\sigma_{MS}^2 + \sigma_i^2}$, indicating that the total resolution is the quadrature sum of the individual contributions.

$$\left(\frac{\sigma_{p_T}}{p_T}\right)_i = \frac{p_T}{0.3B} \frac{\sigma_{r\phi}}{L_T^2} \sqrt{\frac{720n^3}{(n-1)(n+1)(n+2)(n+3)}}$$
$$\left(\frac{\sigma_{p_T}}{p_T}\right)_{MS} = \frac{0.0136}{0.3BL\beta} \sqrt{n_{rl}}$$
$$\sigma = \sqrt{\sigma_{MS}^2 + \sigma_i^2}$$

B = magnetic field
 L = total path length
 L_T = transverse path length
 $\sigma_{r\phi}$ = space-point resolution
 n = num. space points
 n_{rl} = num. rad lengths

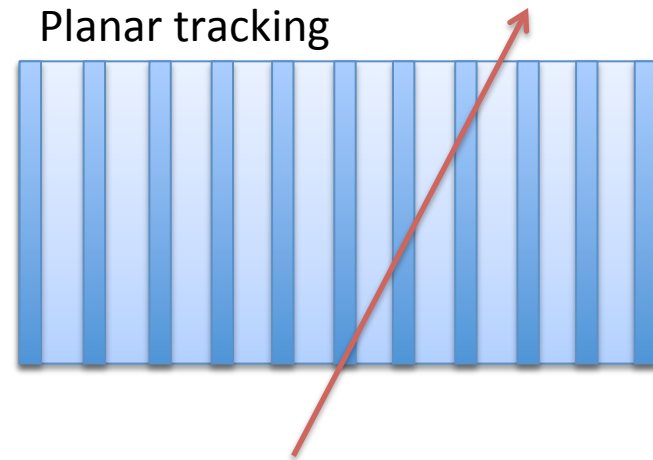
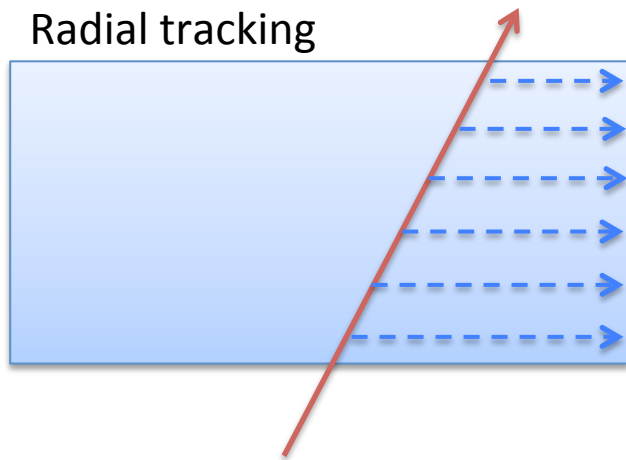
Tracking



- Each cylindrical volume is assigned z and radial dimensions (z_1, z_2, r_1, r_2)
- Particle's path through volume is calculated (differs slightly for planar vs. radial trackers... see next slide!)

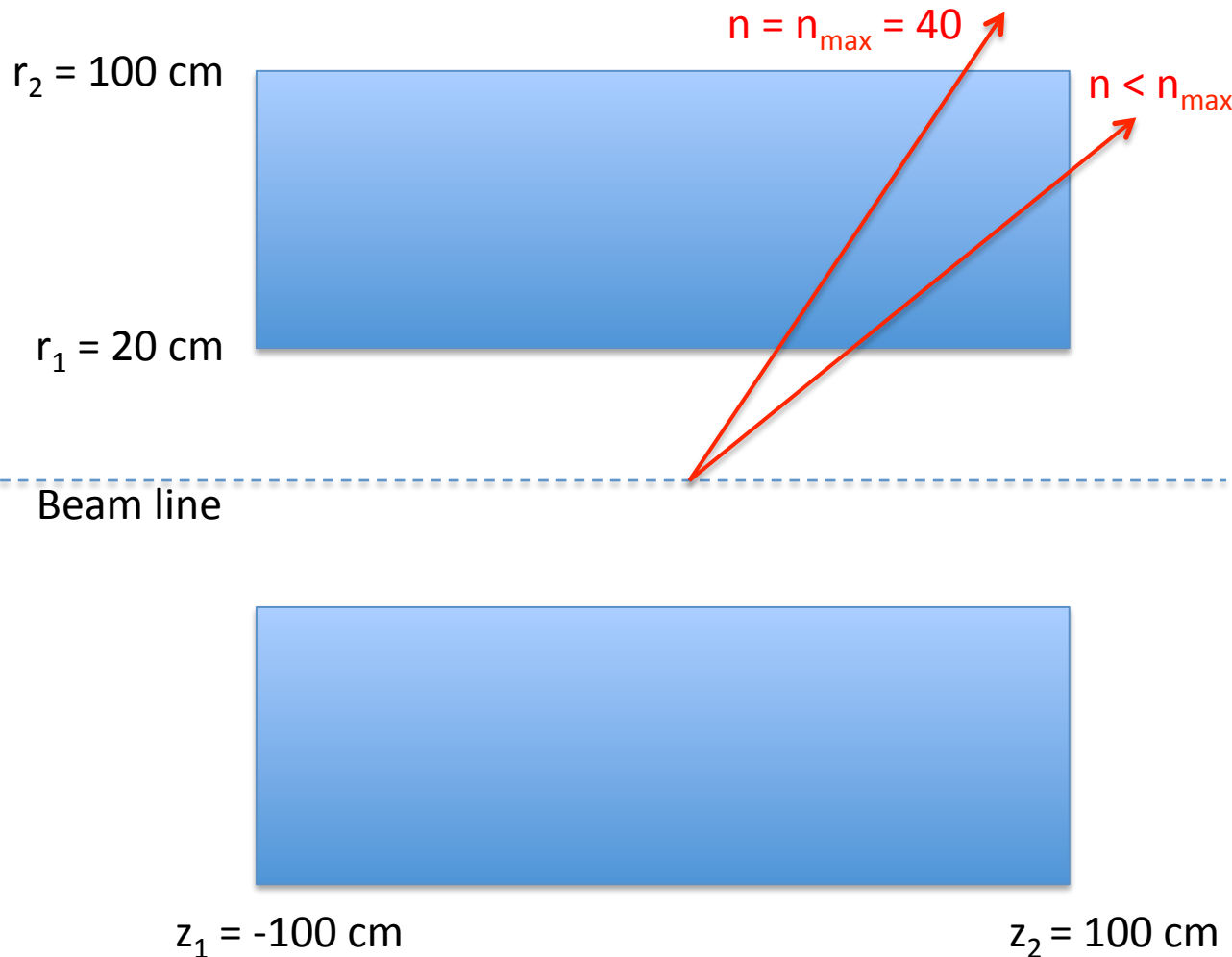
Tracking

- Two types of tracking volumes for more realistic calculation of number of space points:
 - **Radial tracker (drift chamber)**
 - **Planar tracker (vertical GEM layers)**



Testing the radial tracker:

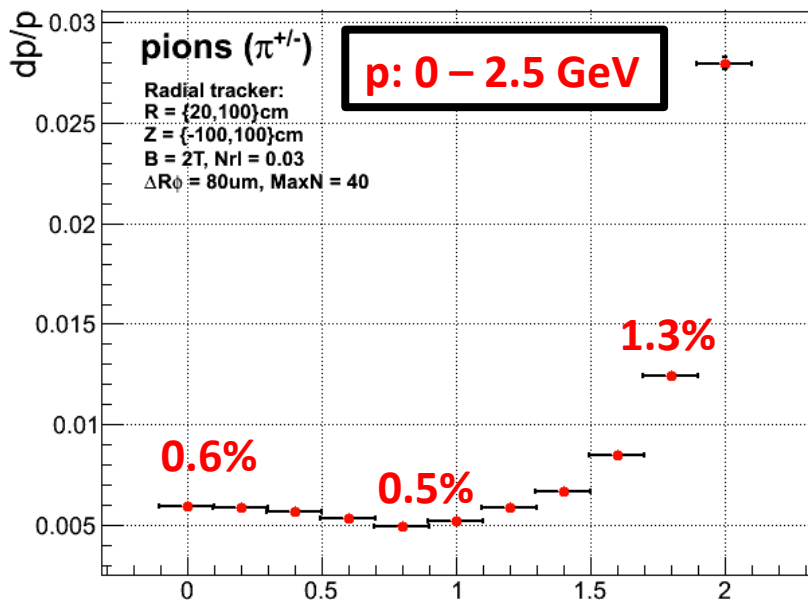
– trial geometry shown below



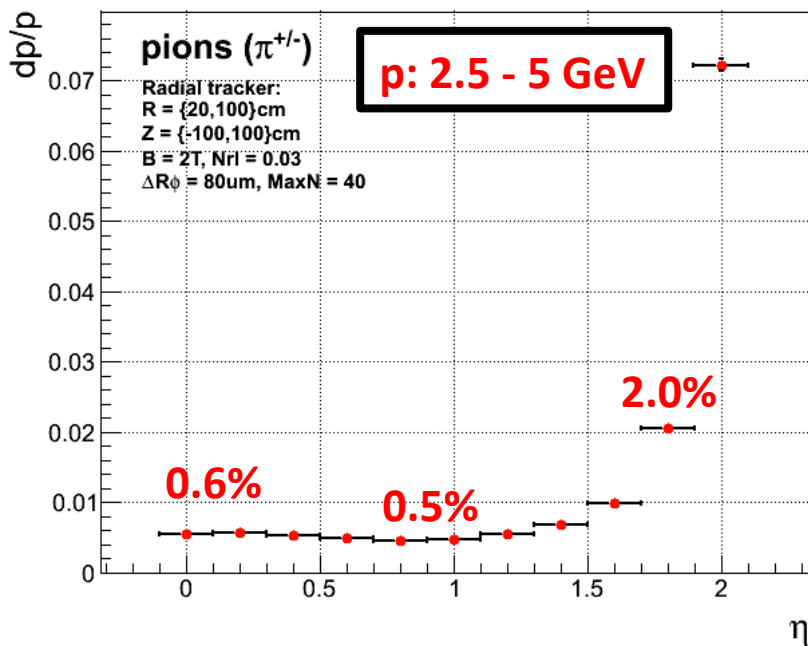
Number of hit points: calculated as fraction of total possible transverse distance of volume

Accepts: only particles with at least $n=3$ points

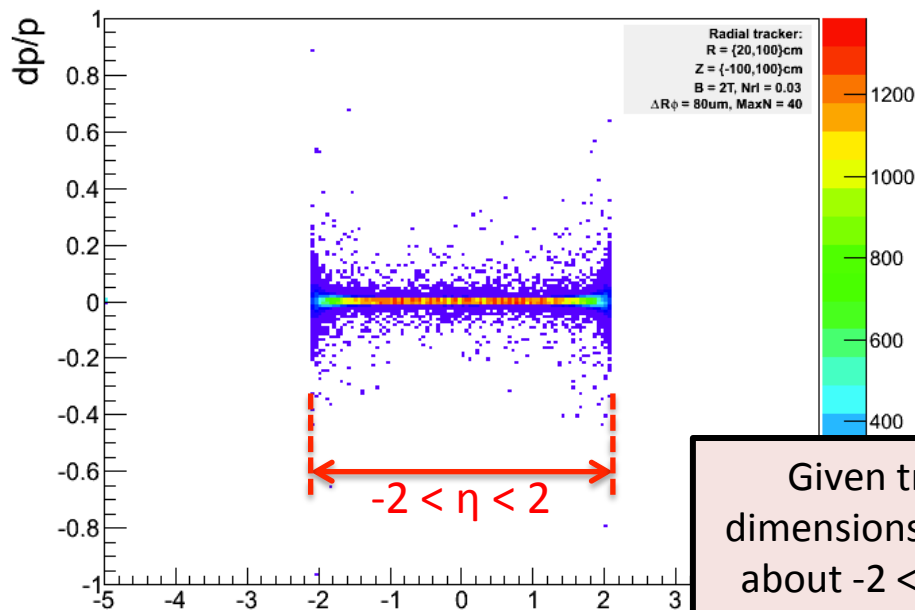
dp/p of radial tracker



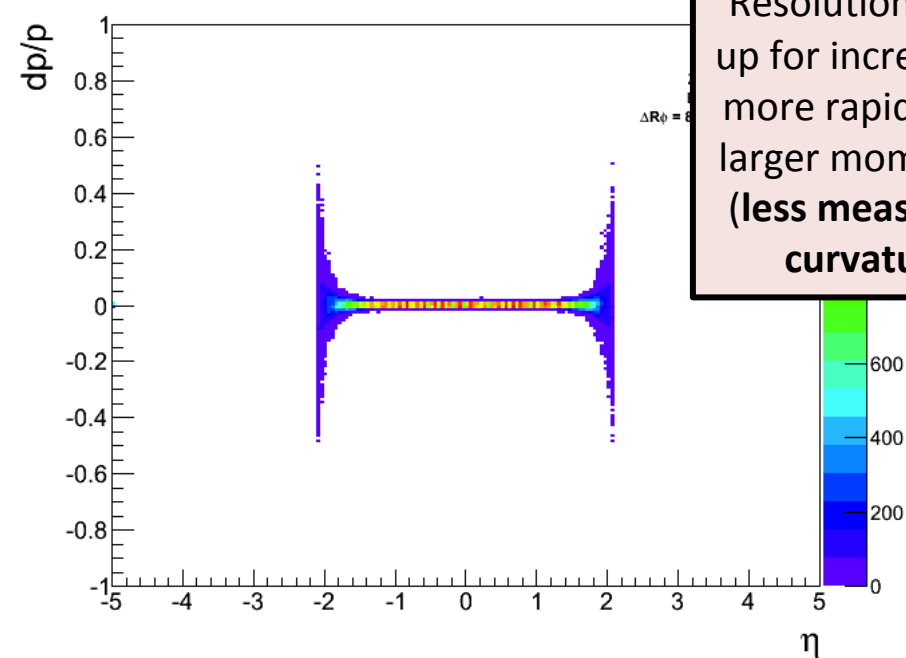
dp/p of radial tracker



Pseudorapidity vs. dp/p



Pseudorapidity vs. dp/p

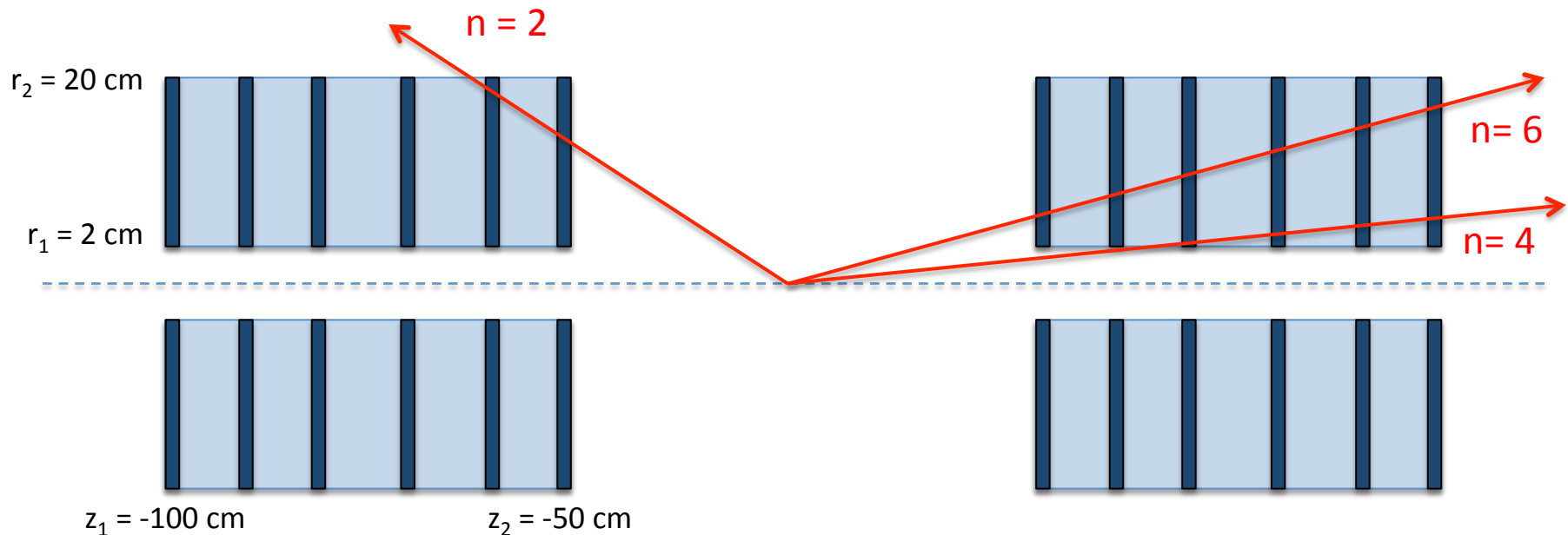


Given trial dimensions cover about $-2 < \eta < 2$

Resolution blows up for increasing η more rapidly with larger momentum (less measurable curvature)

Testing the planar tracker

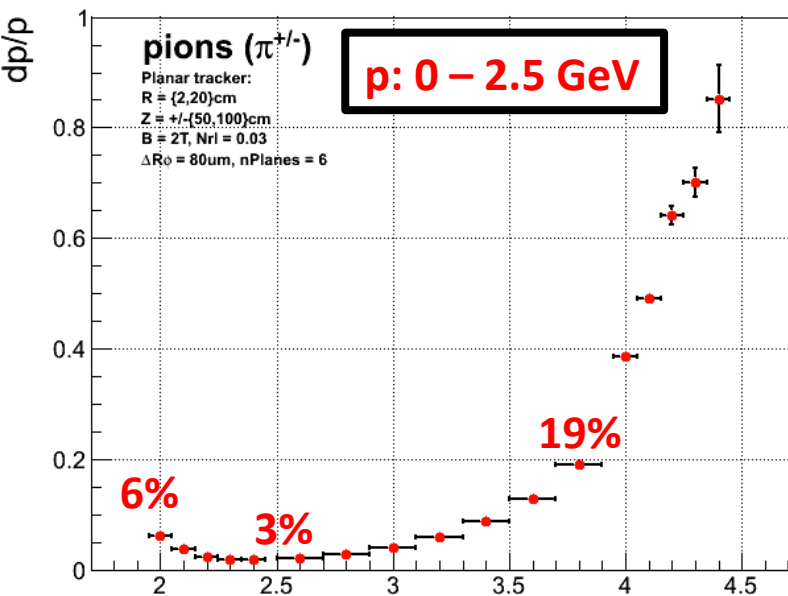
- symmetric forward/backward volumes of 6 evenly-spaced layers



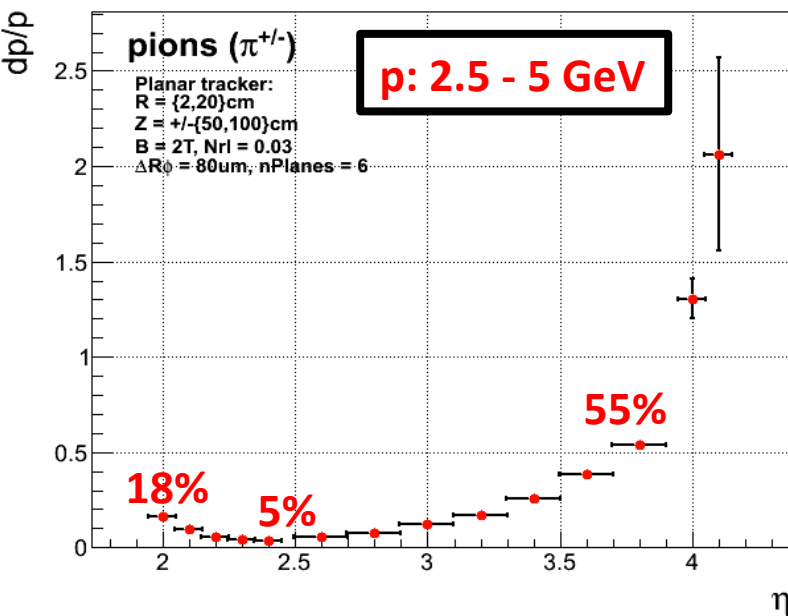
Number of hit points: calculated as number of GEM planes the particle passes through

Accepts: only particles with at least $n=3$ points

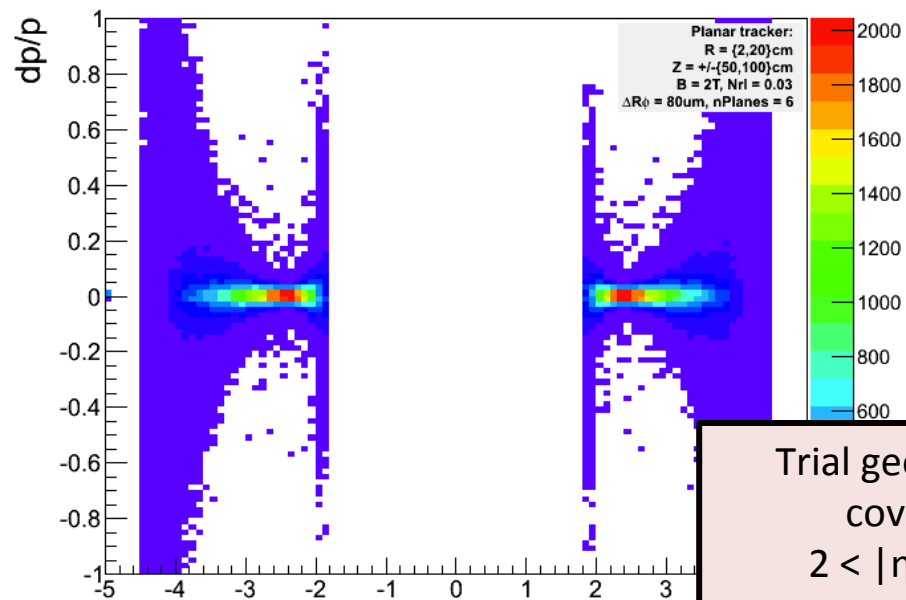
dp/p of planar tracker



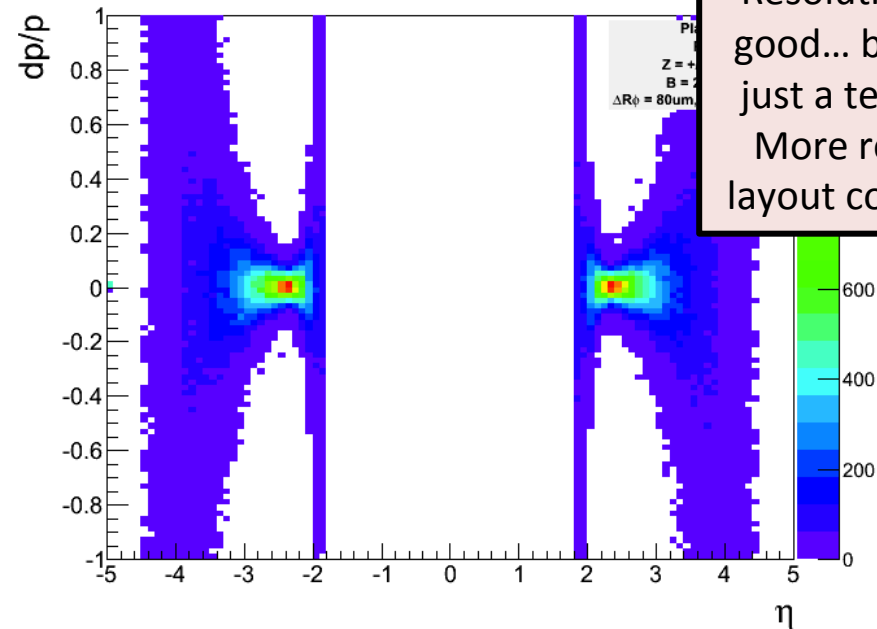
dp/p of planar tracker



Pseudorapidity vs. dp/p



Pseudorapidity vs. dp/p



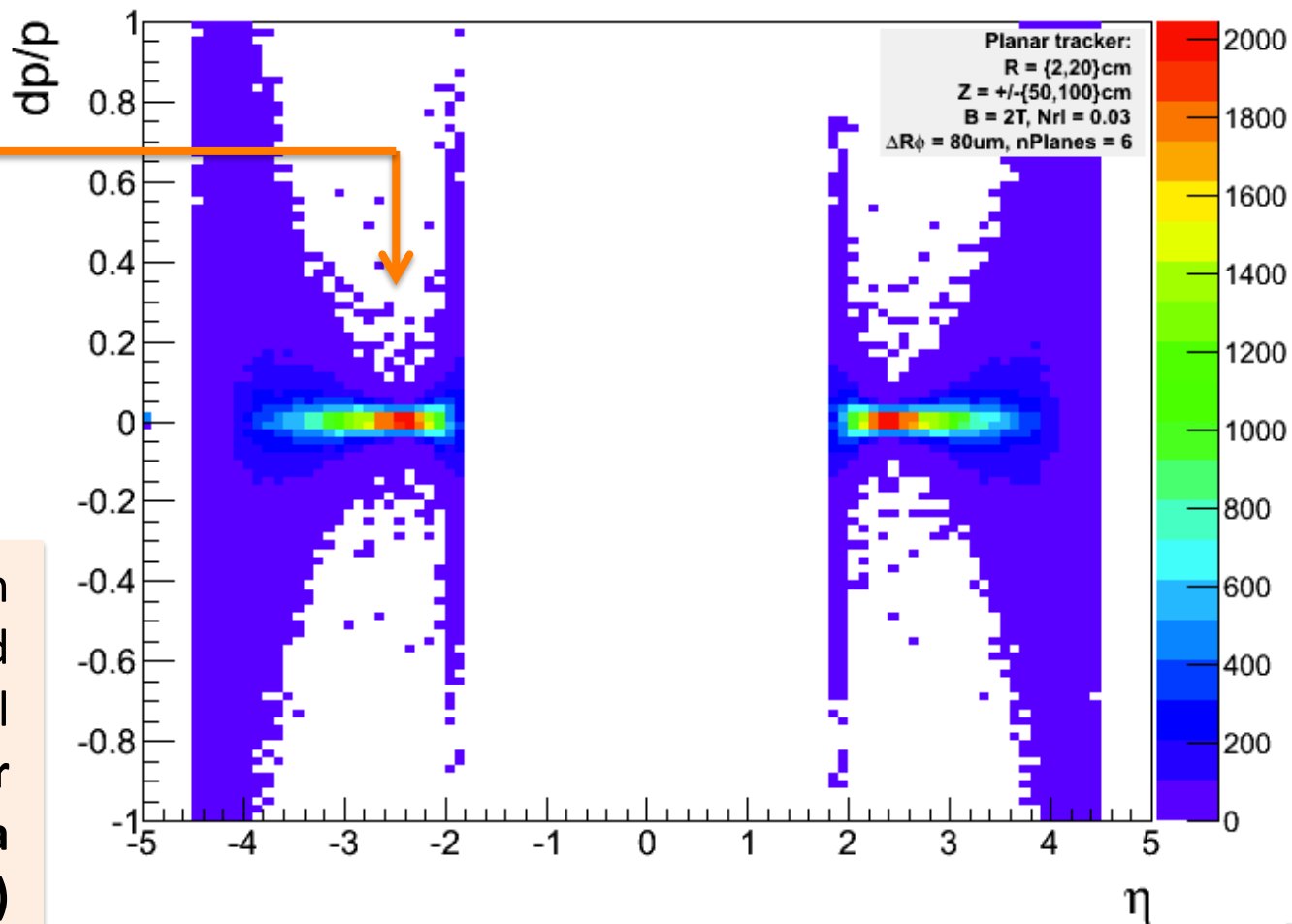
Trial geometry
 covers
 $2 < |\eta| < 4$

Resolution not too
 good... but this was
 just a test anyway.
 More reasonable
 layout coming soon.

Resolution best
where particles
pass through
max # of planes
and have
largest track
length

Resolution worse in
forward/backward
regions than for central
due to **smaller**
transverse momenta
(σ prop. to $1/L_T$)

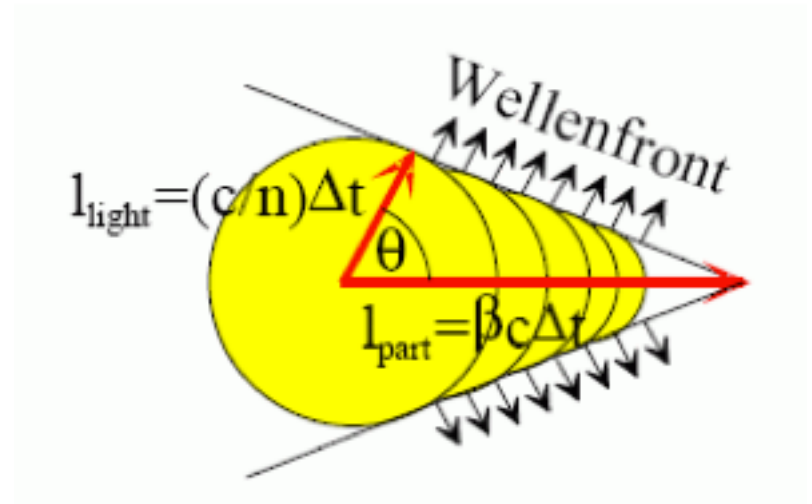
Pseudorapidity vs. dp/p



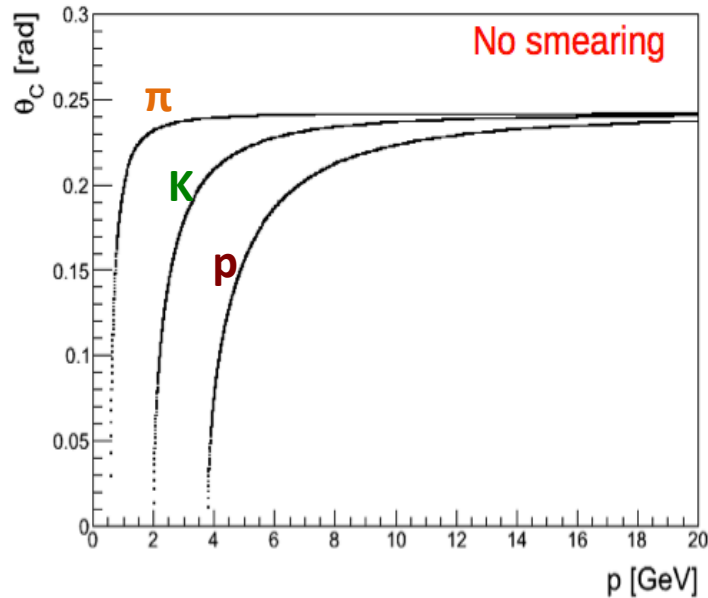
Fast PID Studies

- **Goal:** extrapolate resolution from tracking to gauge PID efficiency of forward aerogel RICH
 - Implement realistic PID function into smearing

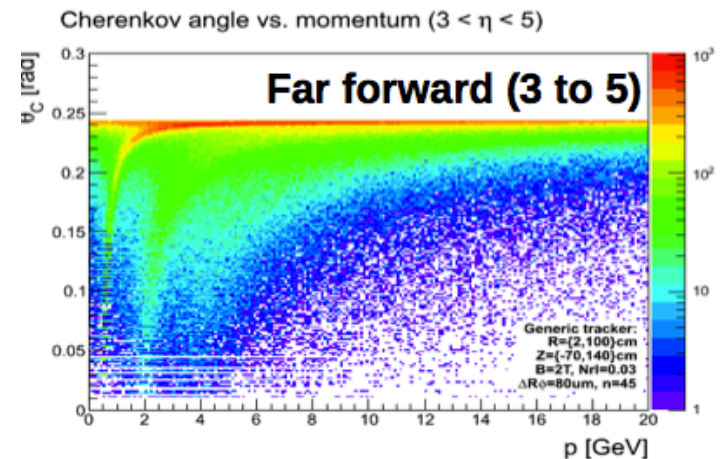
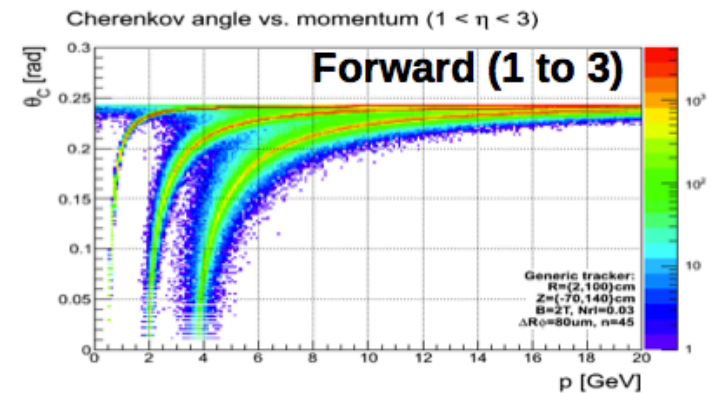
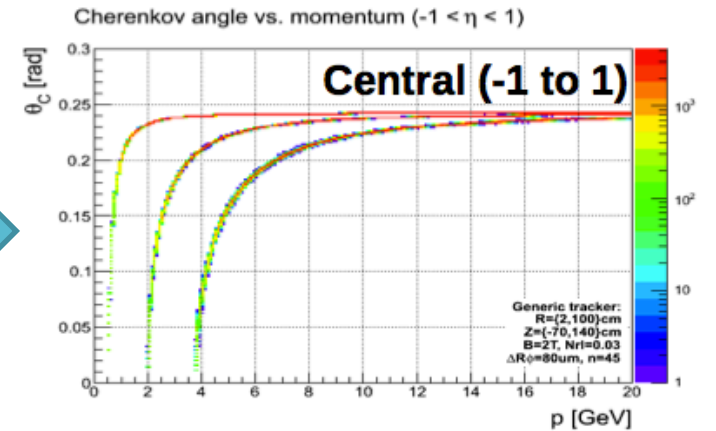
$$\cos \theta_c = \frac{c}{n \beta c} = \frac{1}{n \beta}$$



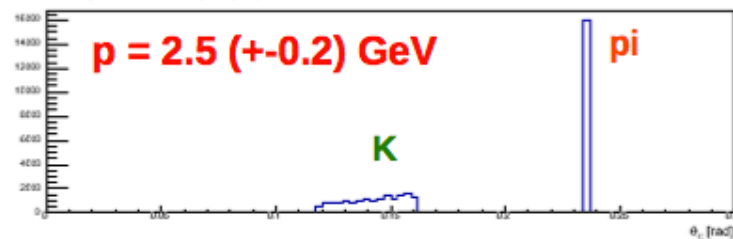
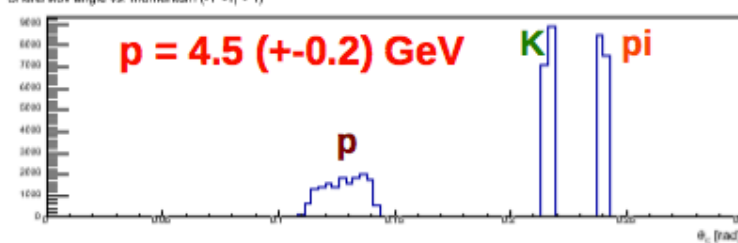
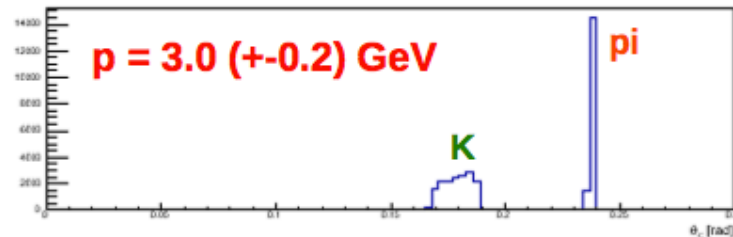
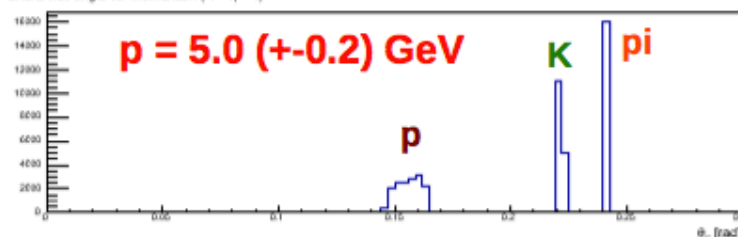
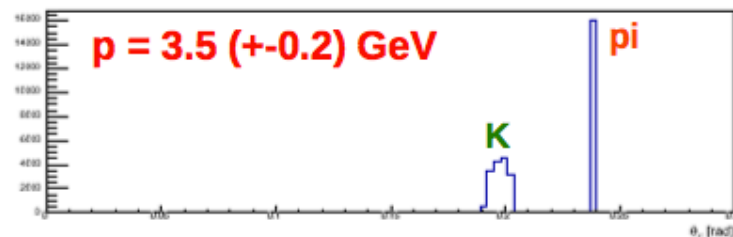
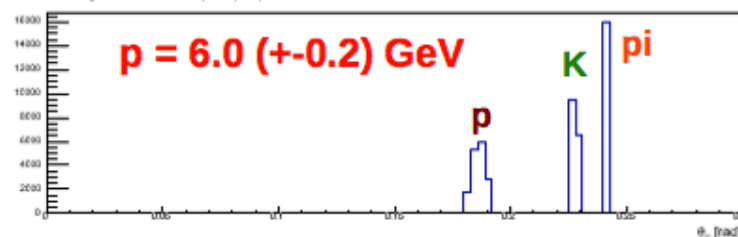
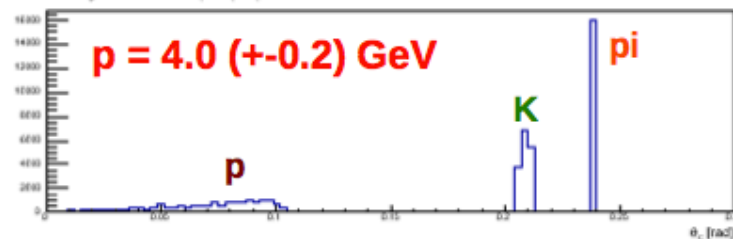
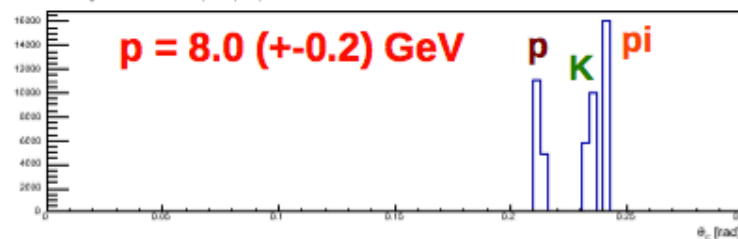
Cherenkov angle θ_c vs. p



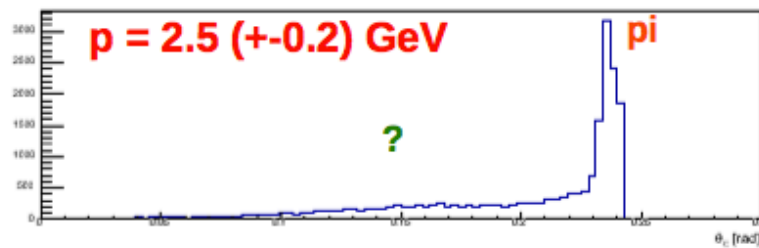
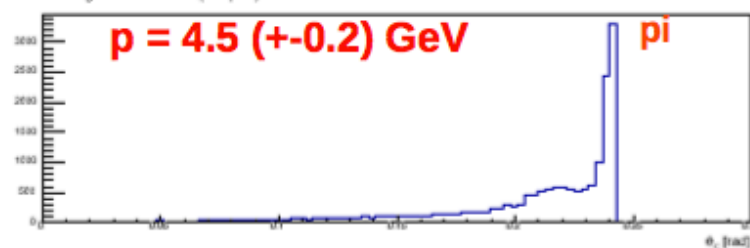
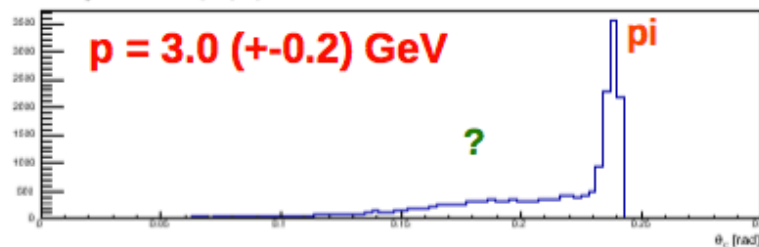
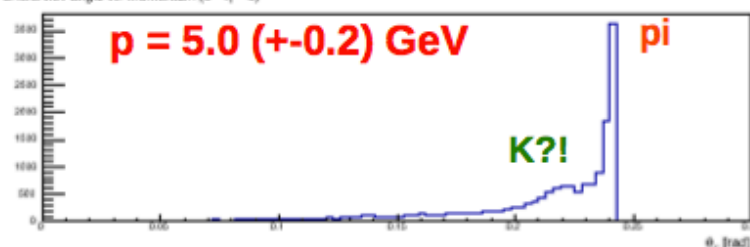
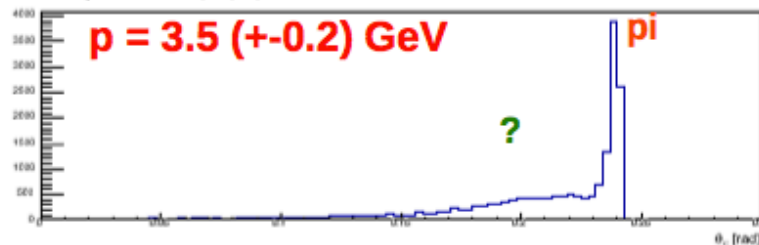
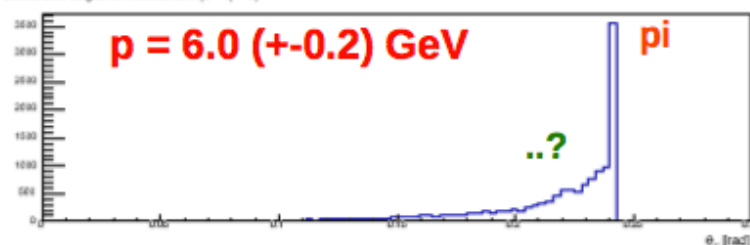
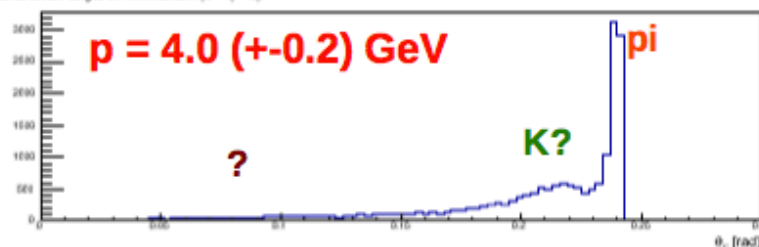
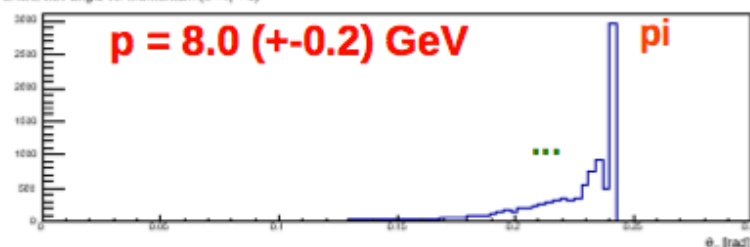
p -axis smeared
by tracking!



- Uniform radial-tracking volume used in these plots
- **With worsening resolution at large rapidity, particles harder to distinguish**

Cherenkov angle vs. momentum ($-1 < \eta < 1$)Cherenkov angle vs. momentum ($-1 < \eta < 1$)Cherenkov angle vs. momentum ($-1 < \eta < 1$)Cherenkov angle vs. momentum ($-1 < \eta < 1$)Cherenkov angle vs. momentum ($-1 < \eta < 1$)Cherenkov angle vs. momentum ($-1 < \eta < 1$)Cherenkov angle vs. momentum ($-1 < \eta < 1$)Cherenkov angle vs. momentum ($-1 < \eta < 1$)

Central region ($-1 < \eta < 1$)
 Very defined + well-separated peaks in
 cherenkov angle up to 8 GeV
 (smearing negligible)

Cherenkov angle vs. momentum ($3 < \eta < 5$)Cherenkov angle vs. momentum ($3 < \eta < 5$)Cherenkov angle vs. momentum ($3 < \eta < 5$)Cherenkov angle vs. momentum ($3 < \eta < 5$)Cherenkov angle vs. momentum ($3 < \eta < 5$)Cherenkov angle vs. momentum ($3 < \eta < 5$)Cherenkov angle vs. momentum ($3 < \eta < 5$)Cherenkov angle vs. momentum ($3 < \eta < 5$)

Far forward region ($3 < \eta < 5$)

- Smearing substantial; peaks are sloppily reconstructed and merge into one another
- kaons become better differentiated around 4 GeV

Fast PID Studies

- Particle mis-identification probability matrix already built into fast simulator framework
 - For bins in [“measured”] momentum, particles have chance of being assigned a different ID
 - Custom PID matrices very easy to create in separate txt files
- **Need to look at overlap of peaks in θ_c plots to determine matrix values**

- For more information and to keep updated on progress, visit the Wiki:

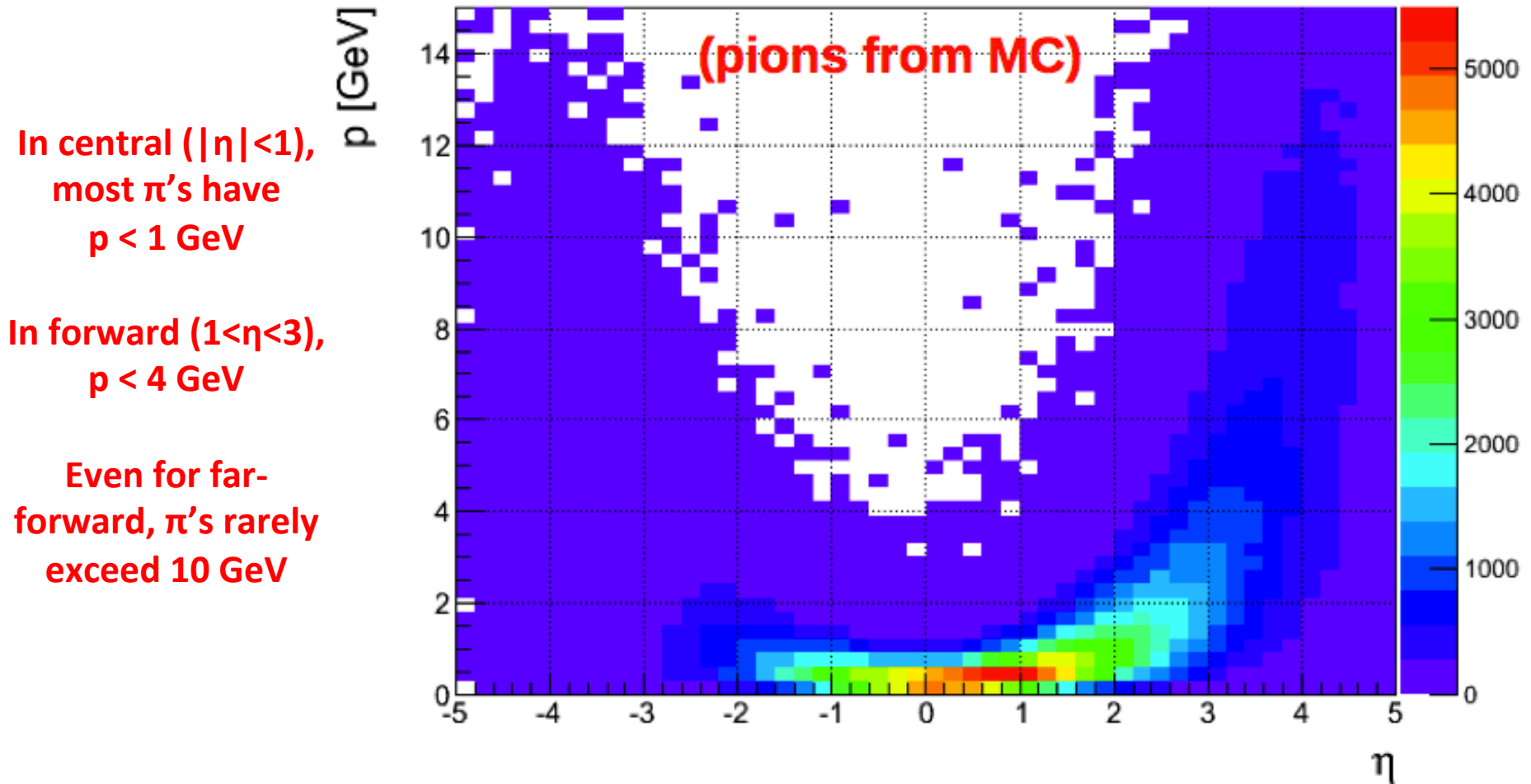
https://wiki.bnl.gov/eic/index.php/Namespacer_Smear

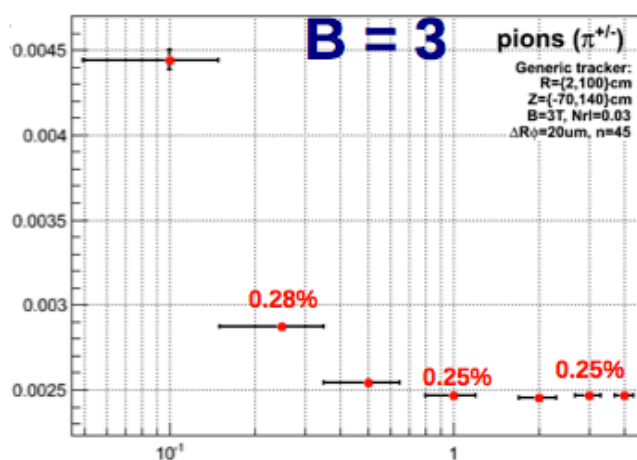
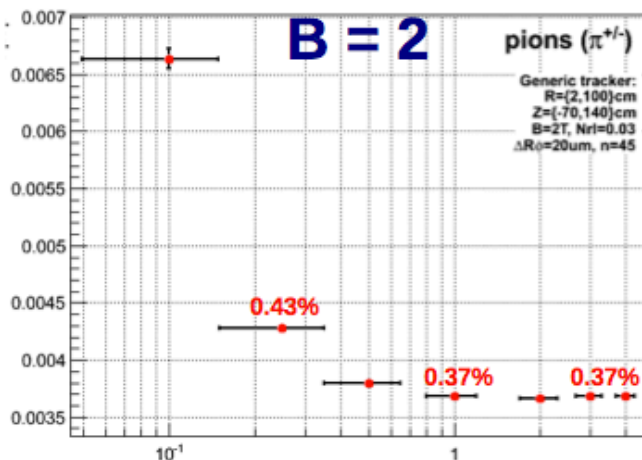
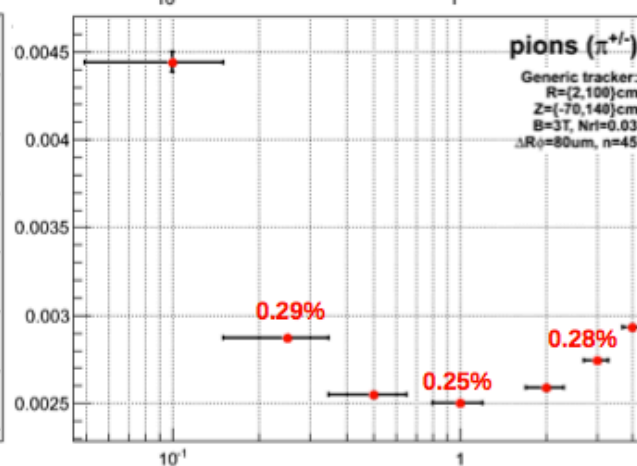
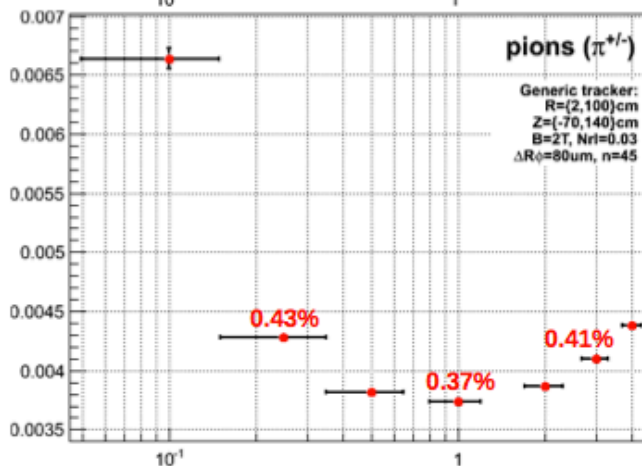
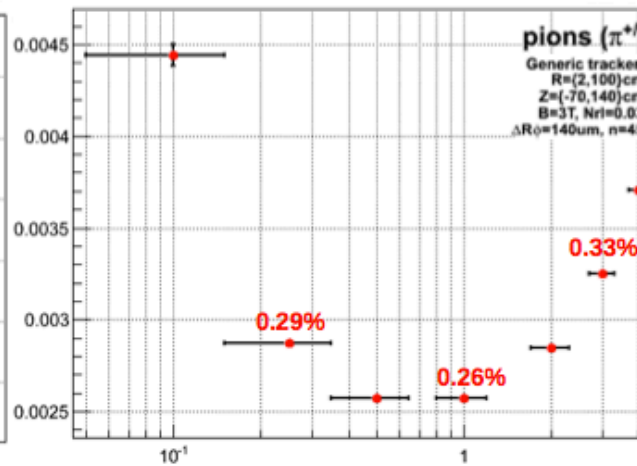
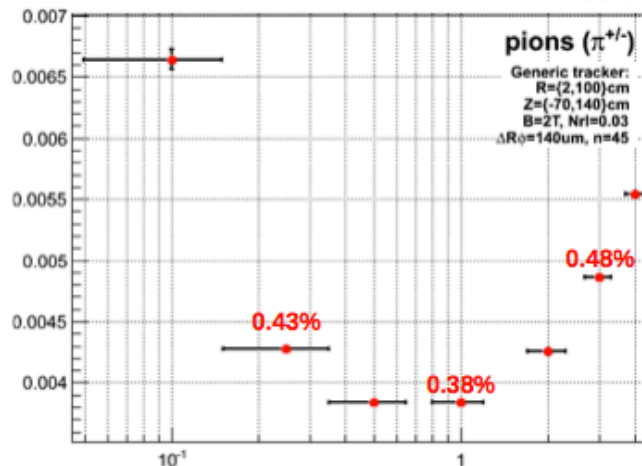
- ROOT/C++ macro used to produce most of the plots shown here is stored on RACF (code is a bit messy at the moment.. read at own risk):

`/direct/eic+u/wforeman/smear/res.c`

Extras

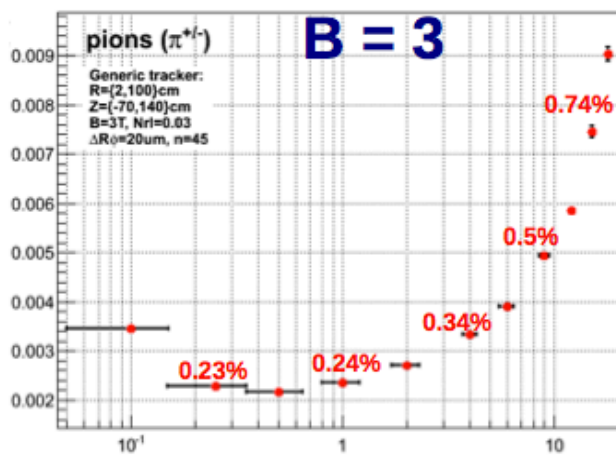
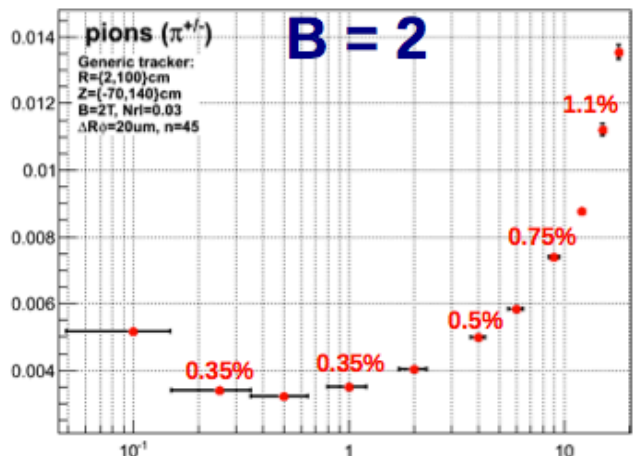
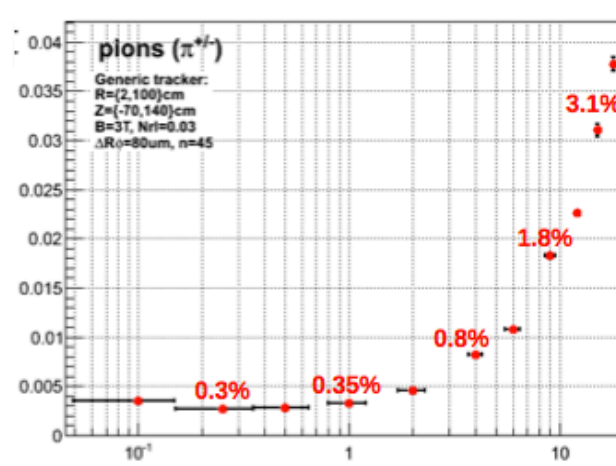
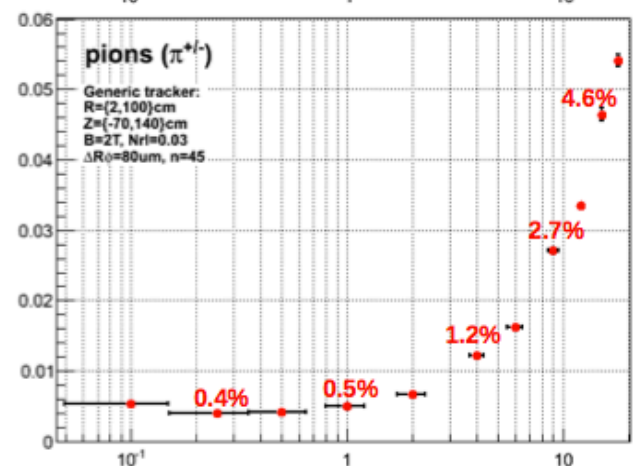
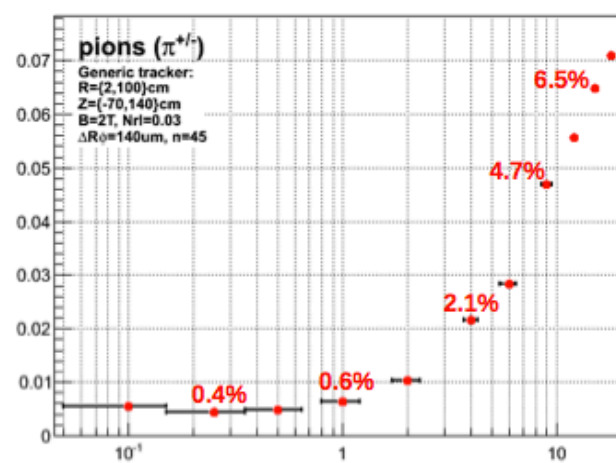
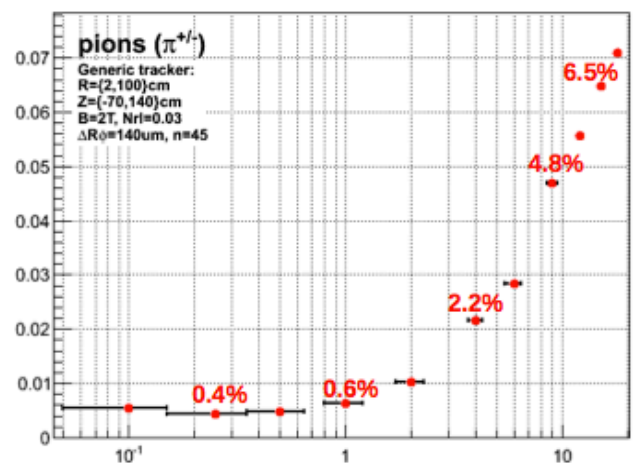
Angular/momentum distribution of final state pions



20 μm 80 μm 140 μm 

I. CENTRAL REGION ($-1 < \eta < 1$)

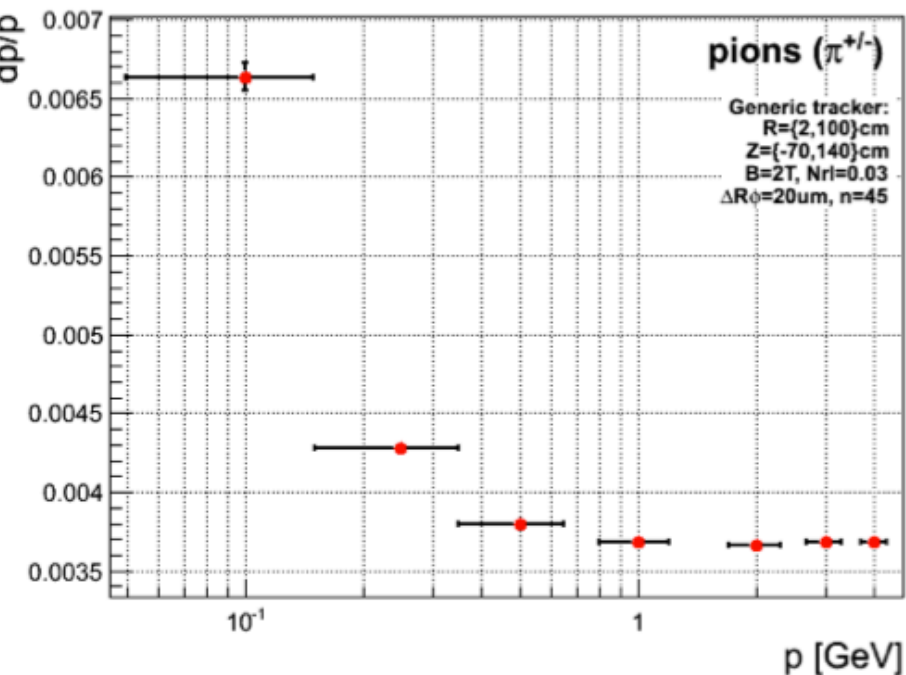
- Noticeable changes in dp/p plots for different parameters (B and spatial resolution of silicon)
- Upward trend for larger momenta is exaggerated for coarser resolution (from 20 μm to 140 μm)
- Smearing of low p pions (< 1 GeV) relatively unchanged
- **Rough estimates of dp/p for $p=\{0.25, 1, 3\}$ GeV shown in red**

20 μm 80 μm 140 μm 

II. FORWARD REGION ($1 < \eta < 3$)

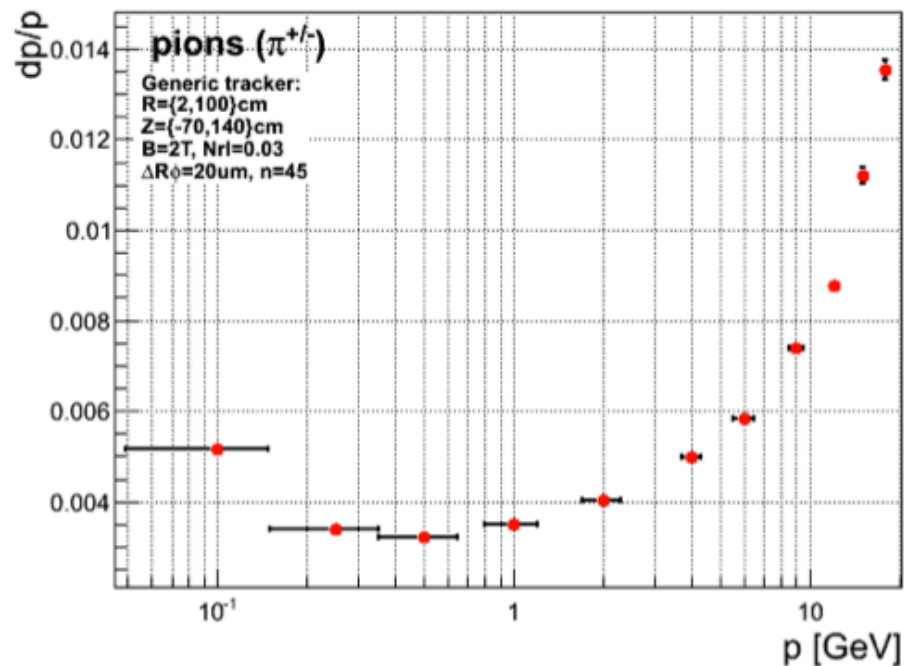
- Rough estimates of dp/p for $p = \{0.25, 1, 4, 9, 15\}$ GeV shown in red

dp/p of generic tracker ($-1 < \eta < 1$)



Central

dp/p of generic tracker ($1 < \eta < 3$)

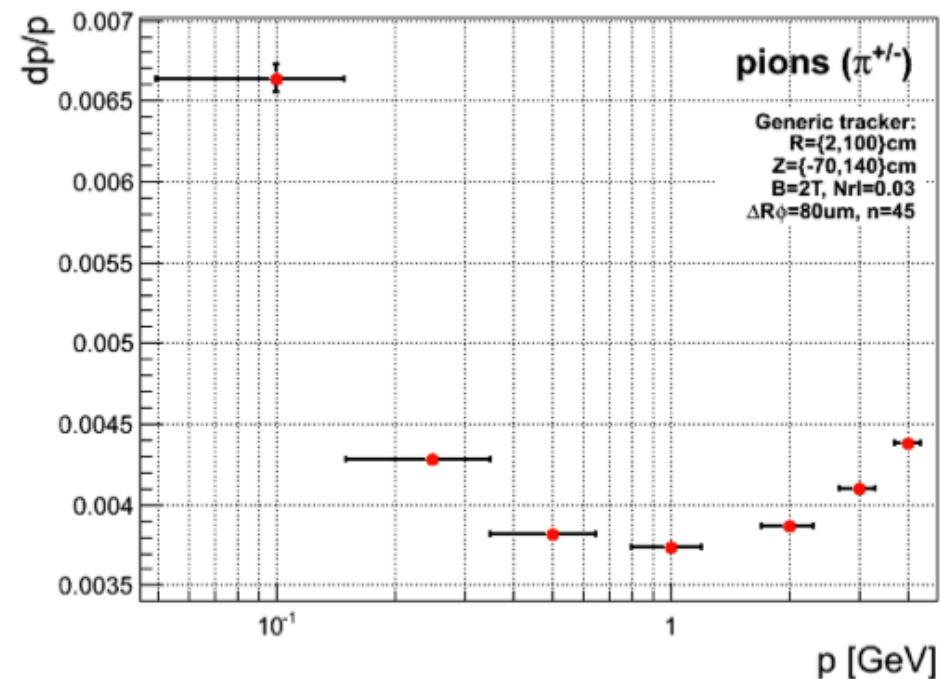


Forward

B = 2 T

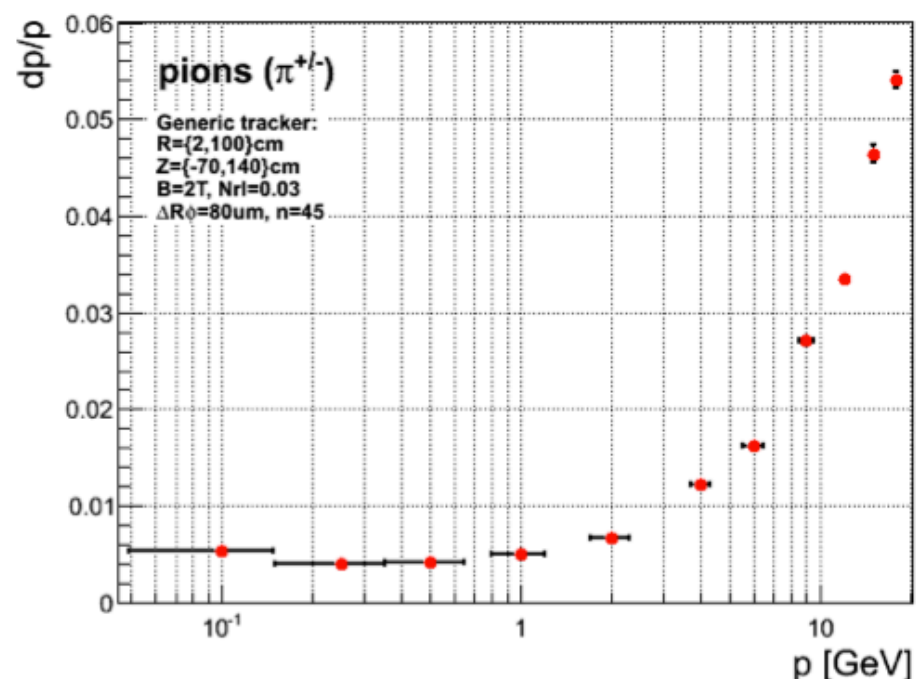
Res = 20 μm

dp/p of generic tracker ($-1 < \eta < 1$)



Central

dp/p of generic tracker ($1 < \eta < 3$)

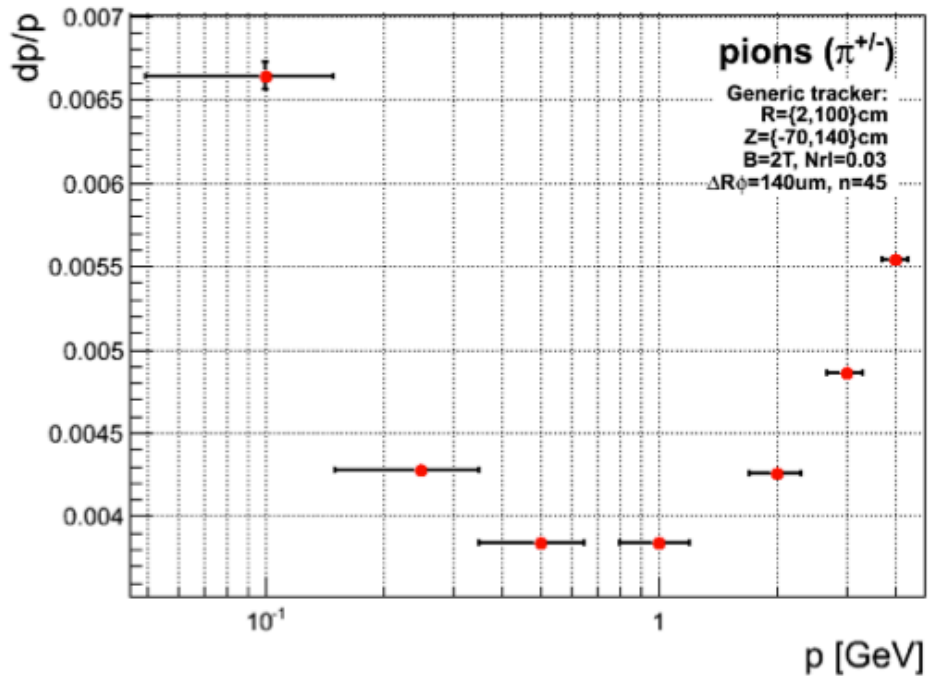


Forward

B = 2 T

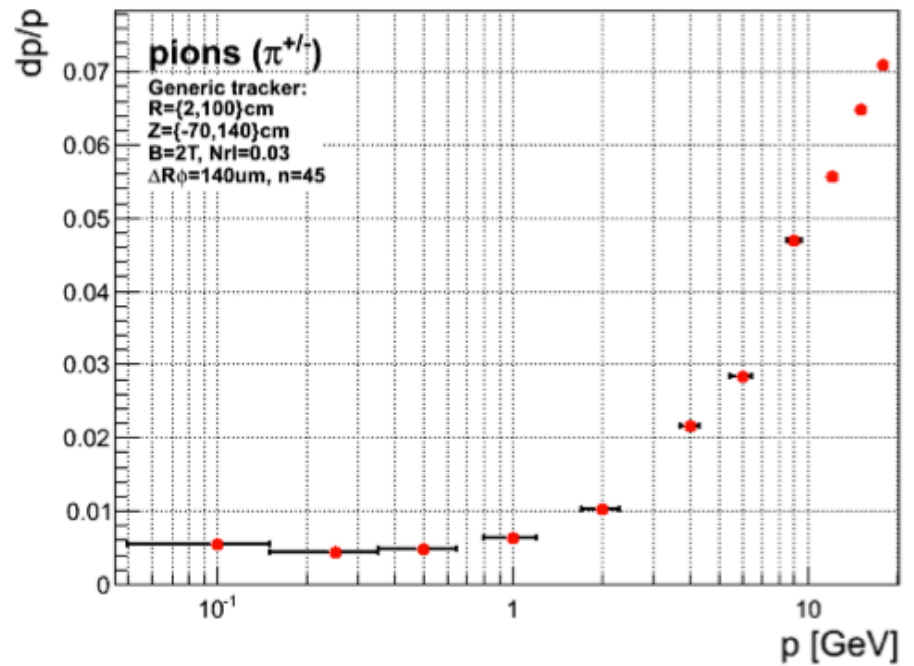
Res = 80 μm

dp/p of generic tracker ($-1 < \eta < 1$)



Central

dp/p of generic tracker ($1 < \eta < 3$)

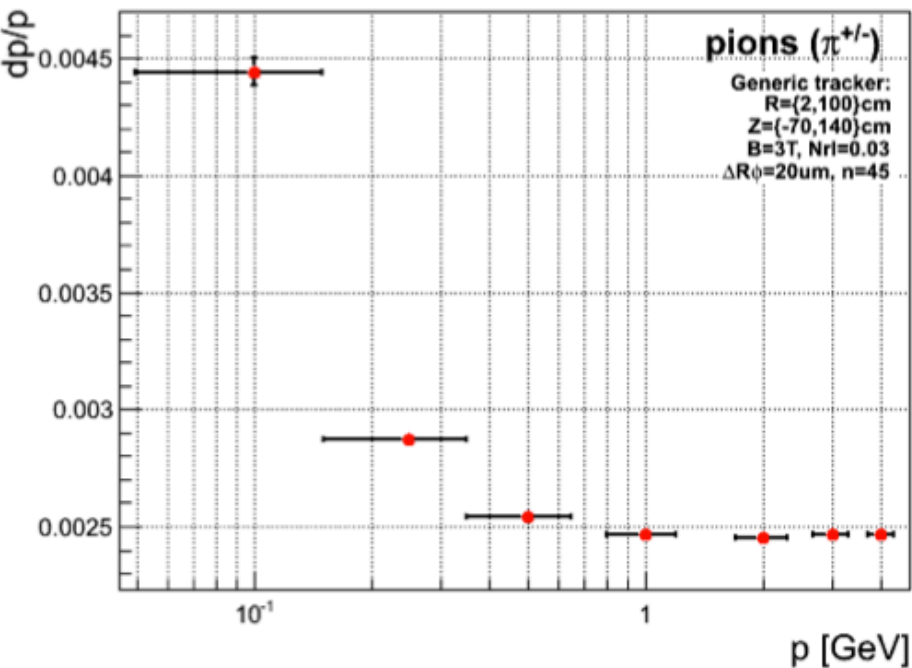


Forward

B = 2 T

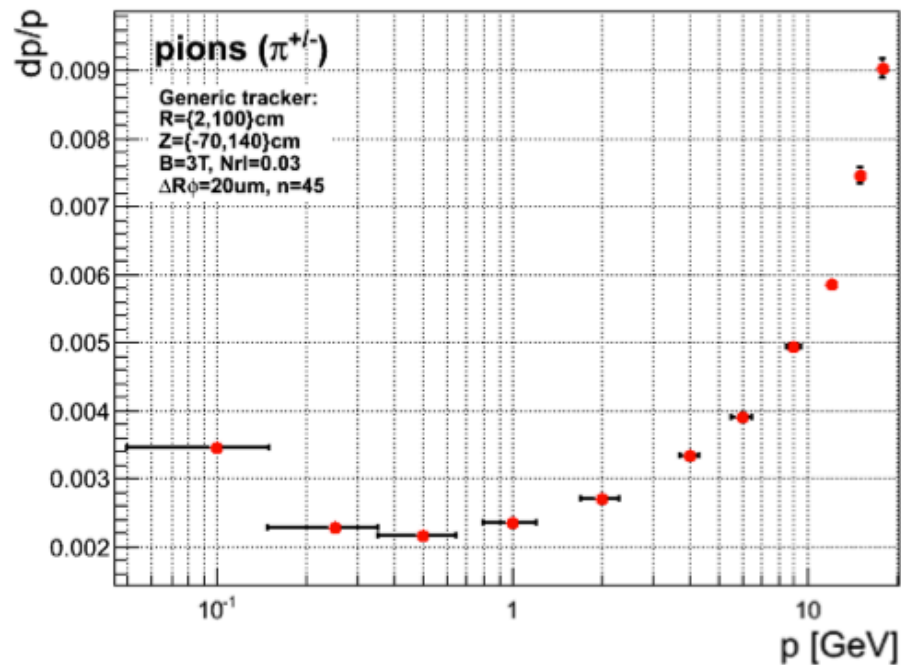
Res = 140 μm

dp/p of generic tracker ($-1 < \eta < 1$)



Central

dp/p of generic tracker ($1 < \eta < 3$)

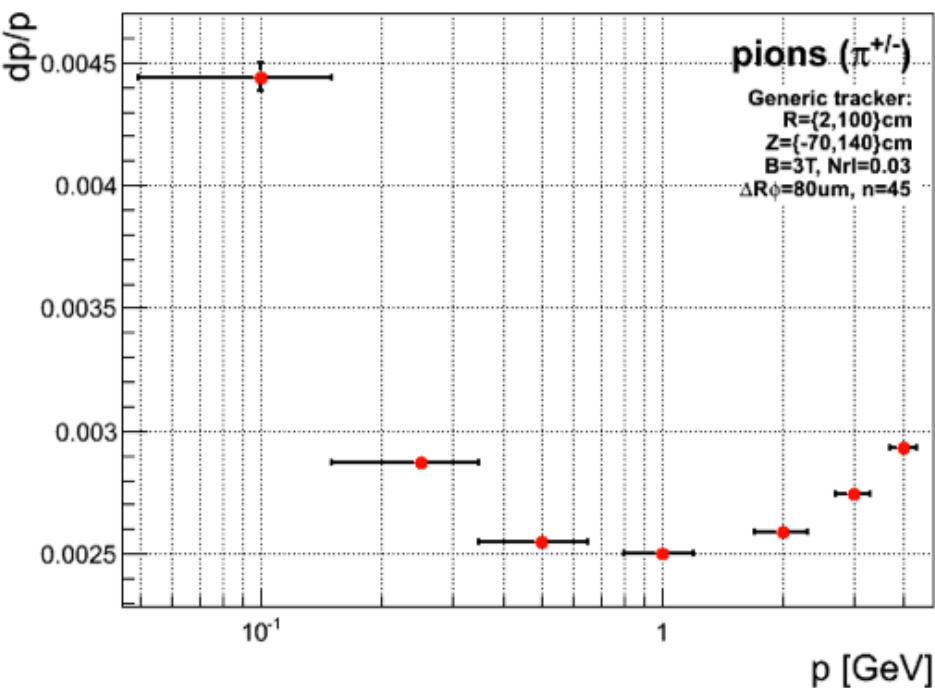


Forward

B = 3 T

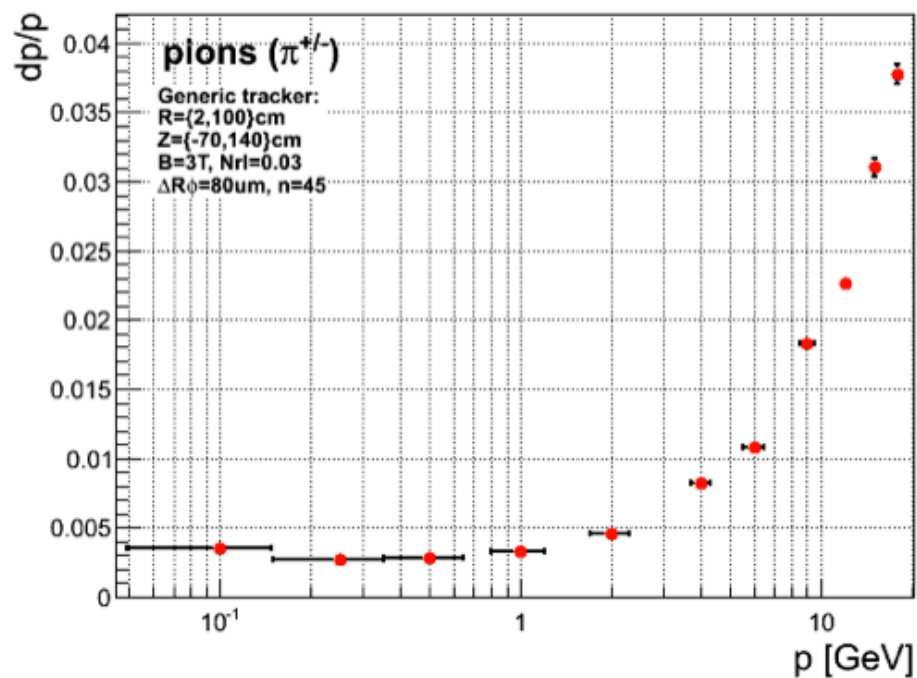
Res = 20 μm

dp/p of generic tracker ($-1 < \eta < 1$)



Central

dp/p of generic tracker ($1 < \eta < 3$)

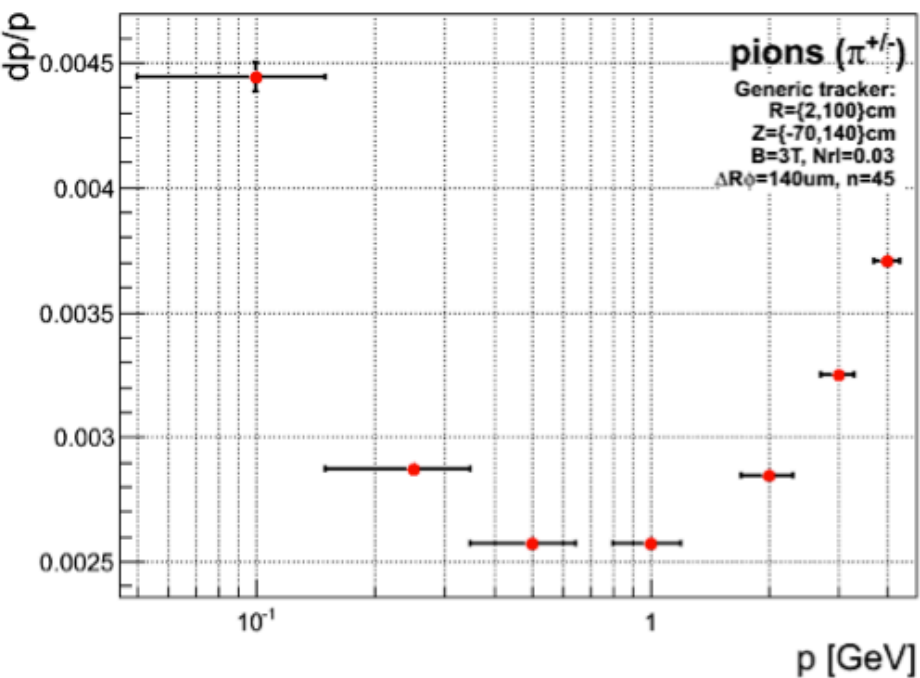


Forward

B = 3 T

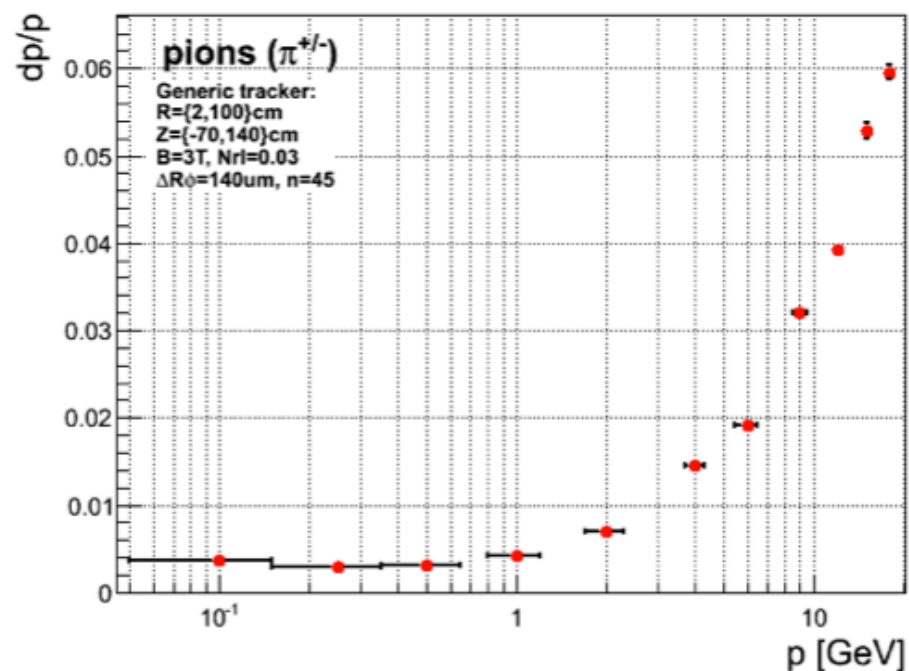
Res = 80 μm

dp/p of generic tracker ($-1 < \eta < 1$)



Central

dp/p of generic tracker ($1 < \eta < 3$)



Forward

B = 3 T

Res = 140 μm

Detector script snippets

/eicdata/eic0003/wforeman/smeared/[detectorfile].c

```
// EM Calorimeters

Device EMCaL_barrel(kE,"0.122*sqrt(E)",1);
EMCaL_barrel.Accept.AddZone(central);

Device EMCaL_endcap(kE,"0.0178*sqrt(E)+0.0069*E",1);
EMCaL_endcap.Accept.AddZone(forward);
EMCaL_endcap.Accept.AddZone(backward);
```

```
// Hadronic calorimeter (for now assume HERA)
Device HCal(kE,"0.35*sqrt(E)",2);
```

```
// Tracking

PlanarTracker PlanarTrack_backward(0.02,0.20,-1.0,-0.5, B, 0.03, res, 6);
PlanarTrack_backward.Accept.AddZone(track_b);

PlanarTracker PlanarTrack_forward( 0.02,0.20, 0.5, 1.0, B, 0.03, res, 6);
PlanarTrack_forward.Accept.AddZone(track_f);

RadialTracker RadialTrack( 0.20,1.0,-1.0,1.0,B, 0.03, res, 40);
RadialTrack.Accept.AddZone(track_c);
```

Sources

- Calorimeters

- https://wiki.bnl.gov/conferences/images/9/96/RD2012-14_Joint-Proposal-Calorimeter-2012.pdf
- <https://indico.bnl.gov/getFile.py/access?contribId=6&sessionId=2&resId=0&materialId=slides&confId=450>
- https://wiki.bnl.gov/conferences/images/5/51/RD_2011-2_Crystal-USTC.pdf
- <http://www-zeus.desy.de/public/hera-phy.php3>

- Tracking resolution

- http://www-jlc.kek.jp/subg/offl/lib/docs/helix_manip/node32.html#SECTION00600000000000000000
- <http://pdg.lbl.gov/2011/reviews/rpp2011-rev-particle-detectors-accel.pdf>
- “A Possible Design for a Forward RICH” – E.C. Aschenauer, STAR Upgrade Workshop, UCLA, December 2011